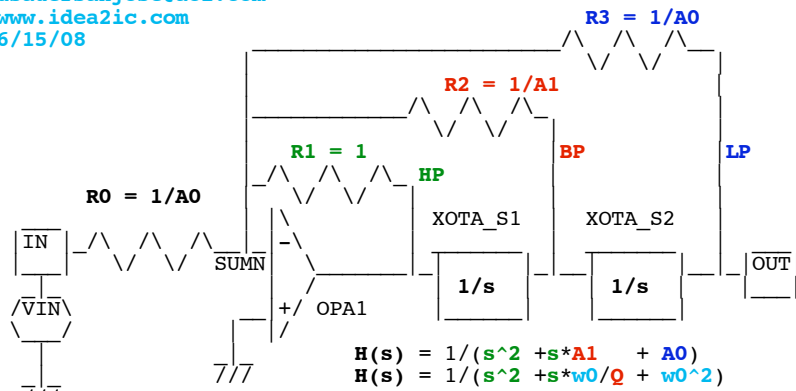


# OTA\_HangOn\_Delay

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 \* www.idea2ic.com  
 \* 6/15/08



$$H(s) = 1/(s^2 + s \cdot A1 + A0)$$

$$H(s) = 1/(s^2 + s \cdot w0/Q + w0^2)$$

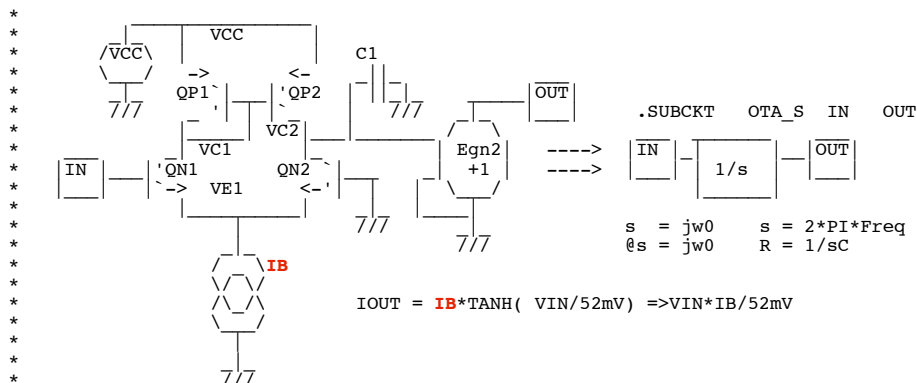
Set  $A0 = 1$  and scale  $s$  to 1KHz  
 Then  $R2 = Q$  and  $s = 2 \cdot \pi \cdot 1KHz$

```
.OPTIONS GMIN=1p METHOD=euler ABSTOL=1n TEMP=27 srcsteps = 100 gminsteps = 10 ITL1=400
.OPTIONS RELTOL=.001 ABSTOL=1p VNTOL=1p ITL4=500
```

```
=====
VT      Vtime  0      PWL  ( 0 0 1 1 )
*VF     VF     0      PWL  ( 0 500 .5 1200 )
VF      VF     0      PWL  ( 0 1500 .5 800 )
BIN     BIN    0      v =   0.0001*(1-exp(-600*v(Vtime)))*(sin(6.28319*v(VF)*v(Vtime)))
R0      BIN    SUMN   10k
R1      SUMN   HP     10k
R2      SUMN   BP     900k
R3      SUMN   LP     10k
XOPA1   SUMN   0      HP     OPA
XOTAS1  HP     BP     OTA_S
XOTAS2  BP     LP     OTA_S
=====
```

```
.control
tran .1m .5 0
plot bp vf/1000000 title StateVariable_Q_90
.endc
```

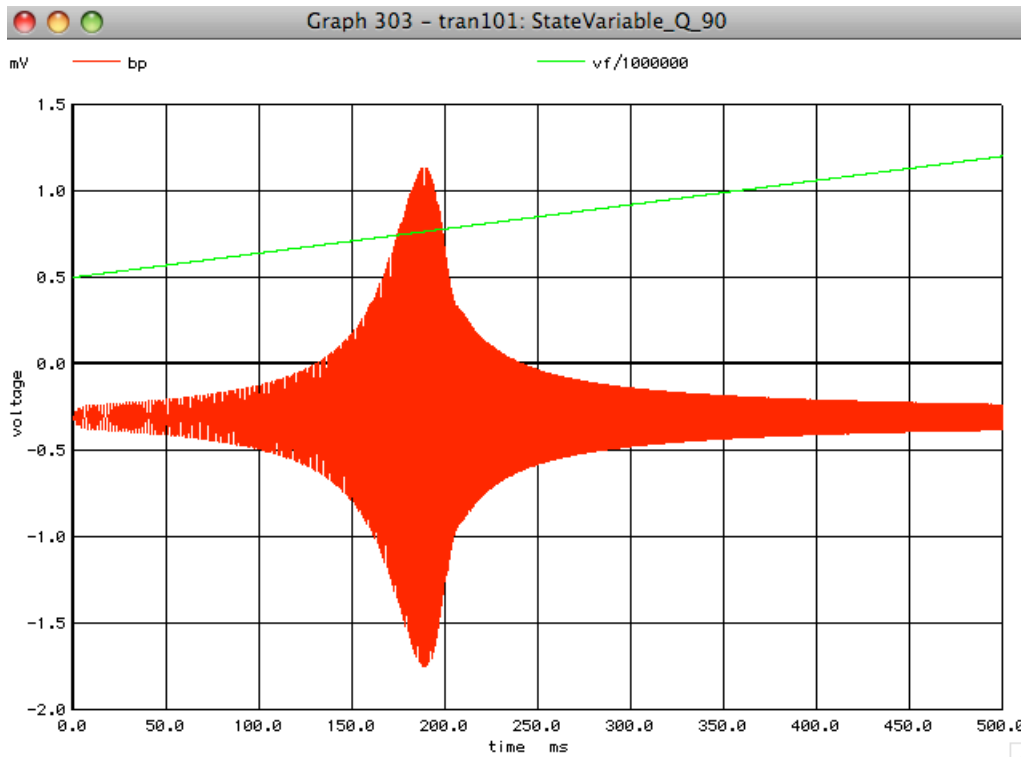
```
.SUBCKT OTA_S IN OUT
QN1 VC1 IN VE1 NPNP
QN2 VC2 0 VE1 NPNP
QP1 VC1 VC1 VCC PNPP
QP2 VC2 VC1 VCC PNPP
IB VE1 0 5.2u
VCC VCC 0 DC 2
EGN2 OUT 0 VC2 0 +1
C1 VC2 0 .01592u
.ends
```



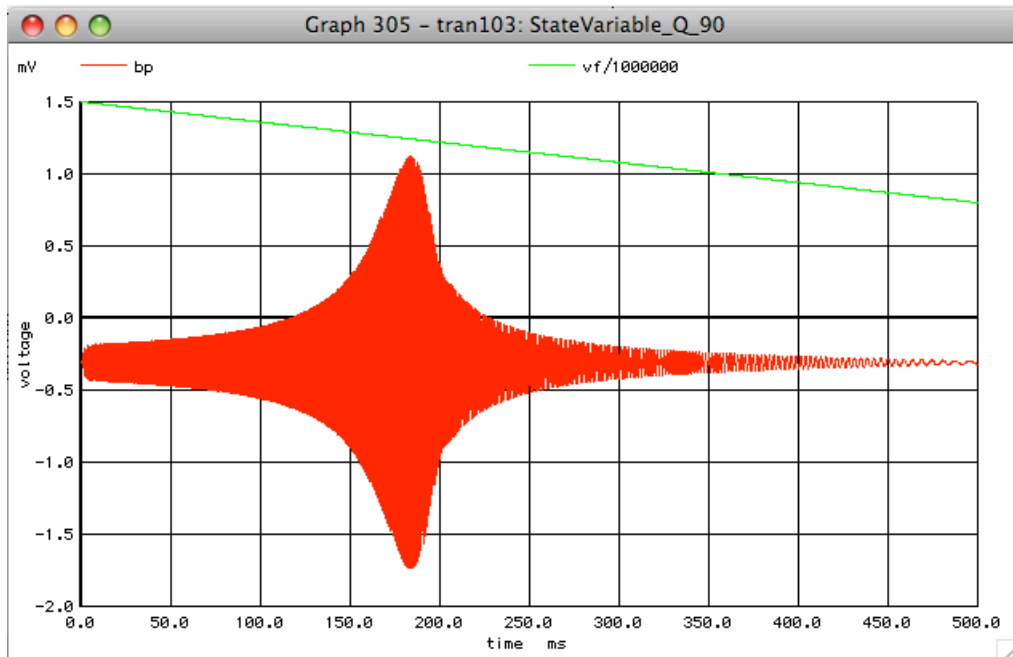
```
.SUBCKT OPA INP INN OUT
EGN1 O1 0 INP INN -1
EGN2 OUT 0 IP 0 -1000000
R1 O1 IP 10k
C1 OUT IP 3p
.ends
```

\* [http://www.idea2ic.com/PlayWithJavascript/R\\_C\\_Freq.html](http://www.idea2ic.com/PlayWithJavascript/R_C_Freq.html)





The curve above is when the  $Q$  has been increased to 90. Notice how the curve seems to want to lean to the right. It is like once the filter gets into resonance, it wants to stay in resonance. This effect has been called "Hang On". Once the input frequency gets high enough, the filter will snap out of this state into a more linear state.



This can be proven by sweeping the frequency from the other direction. Again the filter tends to want to hang on to the input signal. Notice that a  $Q$  of 90 should be a delay of at least 90 cycles of 1000Hz which is at least 100msec.