

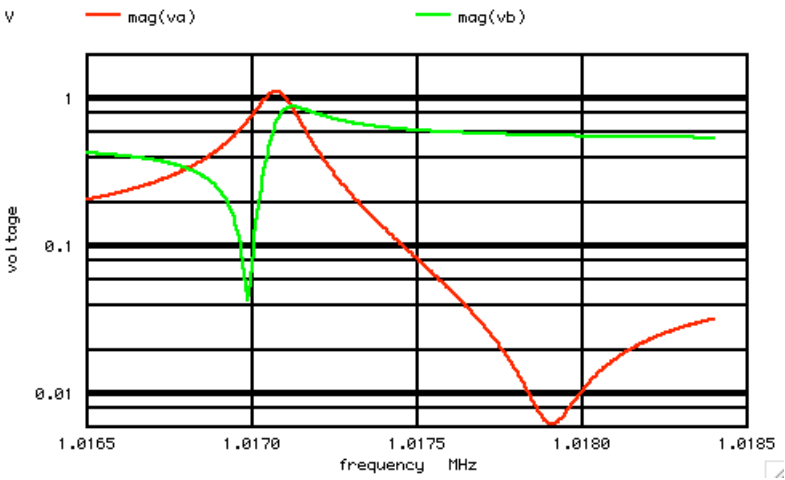
# \*=====Vector\_Processing=====\*

Having working examples for everything has the advantage of not leaving any important details out. The following show how the functions that process waveforms work.

```
Wave_Function_Examples
VIN      VC      0      DC      AC      1
XCRY1   VA      VB      XCRYST
R1      VA      VC      1000k
R2      VC      VB      12.7k
C1      VA      0      16.5p
C2      VB      0      18p
.control
*AC      DECLin NUMDEC FSTART      FSTOP
ac      dec      600000 1.0165meg  1.0184meg
set     pensize = 2
```

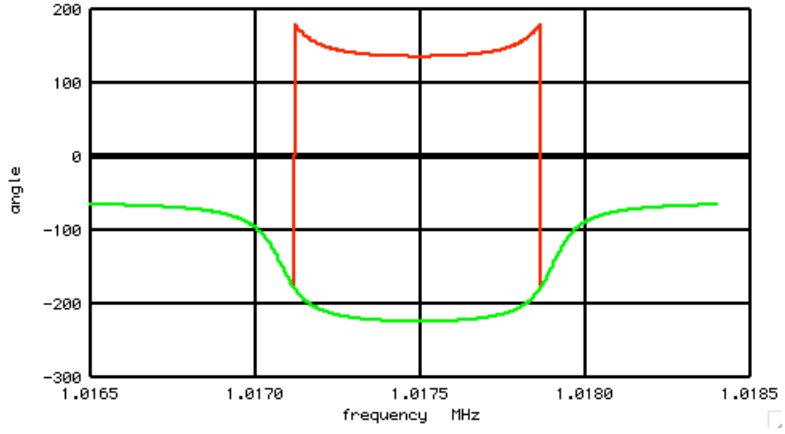
With the **mag** function, one can plot phase on a **log** scale.

```
plot      mag(va) mag(vb)      ylog
```



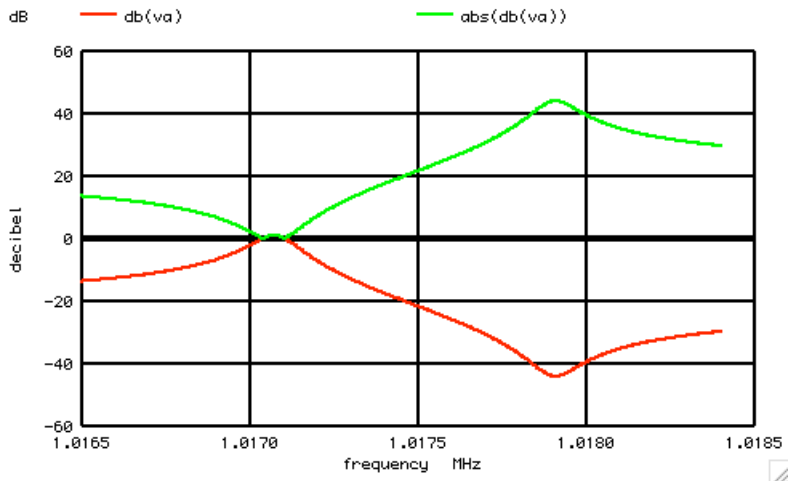
There is a handy **unwrap** function if one does not wish phase to automatically wrap around +/-180degrees

```
plot      ph(va)      unwrap(ph(va))      linear
Units     — ph(va)      — unwrap(ph(va))
```



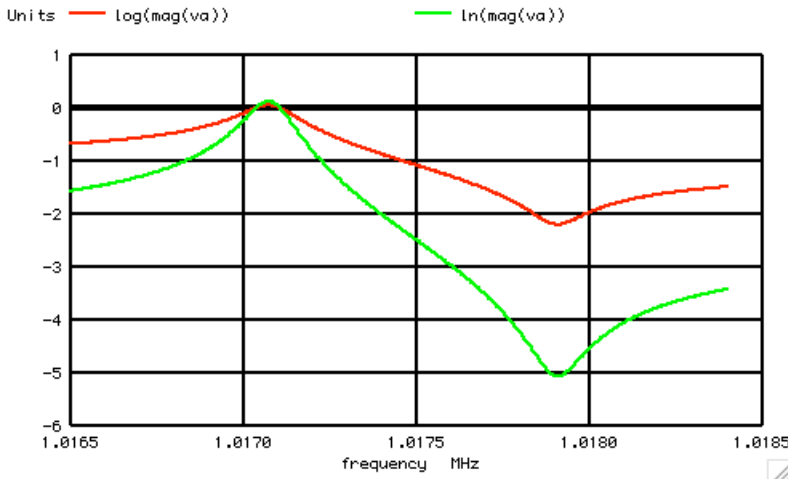
The **dB** and **abs** function operate as expected.

```
plot      db(va)      abs(db(va))      linear
```



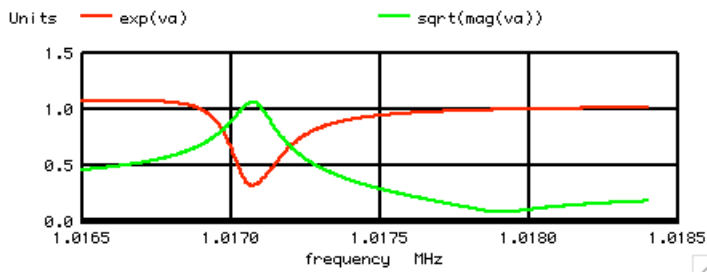
The difference between the **log** and **ln** functions are just a difference in scale.

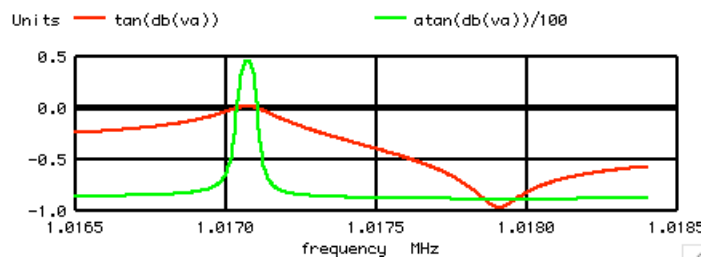
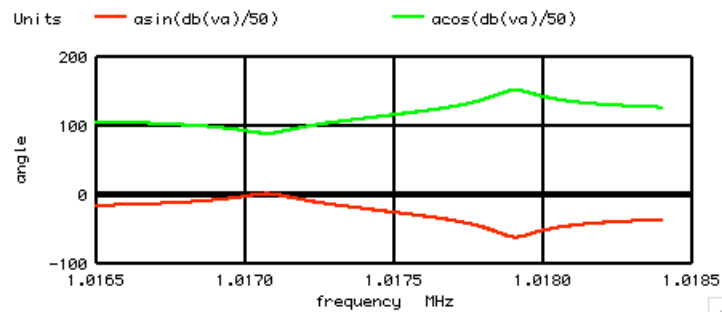
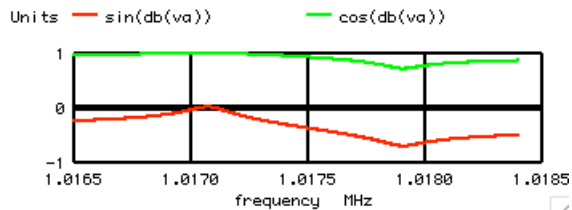
```
plot    log(mag(va))    ln(mag(va))    linear
```



The math functions operate as expected. It looks like they may be using the **degree** format.

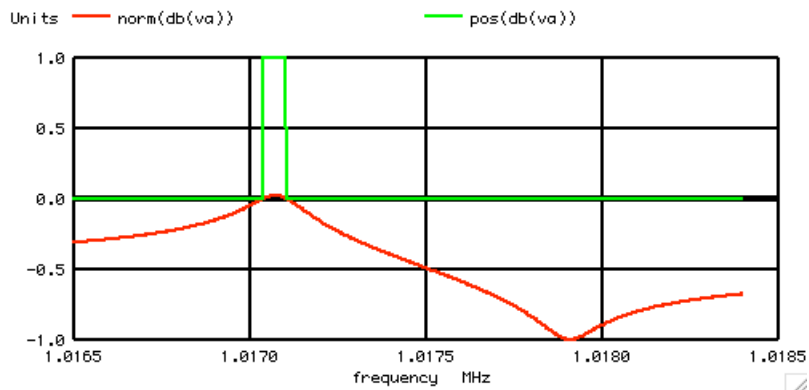
```
plot    exp(va)        sqrt(mag(va))    linear
plot    sin(db(va))    cos(db(va))      linear
plot    asin(db(va)/50)  acos(db(va)/50)  linear
plot    tan(db(va))     atan(db(va))/100 linear
```





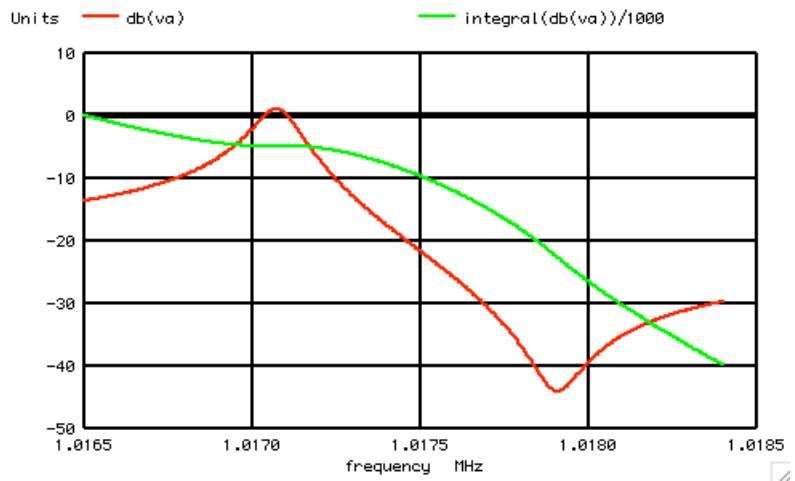
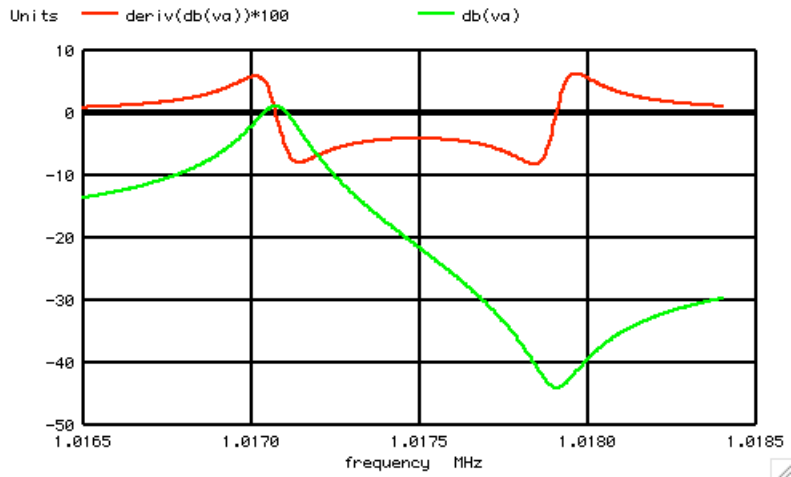
The **norm** and **pos** functions scale to a +/- unity value.

plot norm(db(va)) pos(db(va)) linear



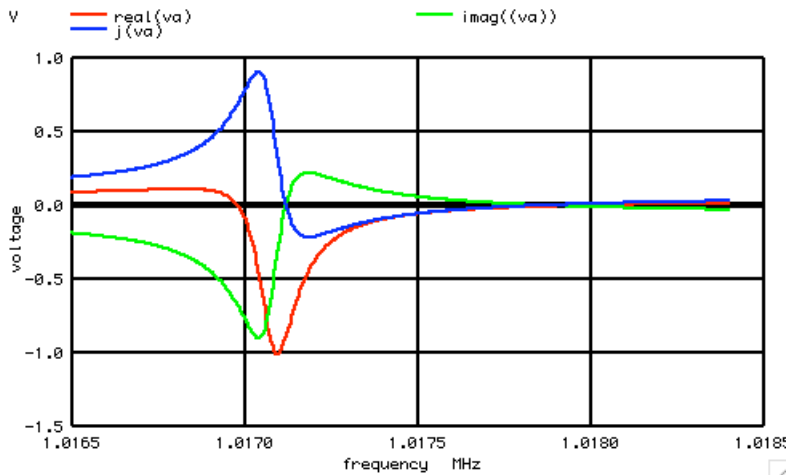
The **deriv** and **integral** functions may needs some scaling to view the graphs.

plot deriv(db(va))\*100  $\text{db}(va)$  linear  
 plot  $\text{db}(va)$  integral(db(va))/1000 linear



The waveforms come out as complex numbers. While it is common to use **dB** and **ph**, the **real**, **imag** can be used. Plotting with **j** shows that the complex values get multiplied by the **sqrt(-1)** and only the real value gets plotted.

```
plot real(va) imag((va)) j(va) linear
```

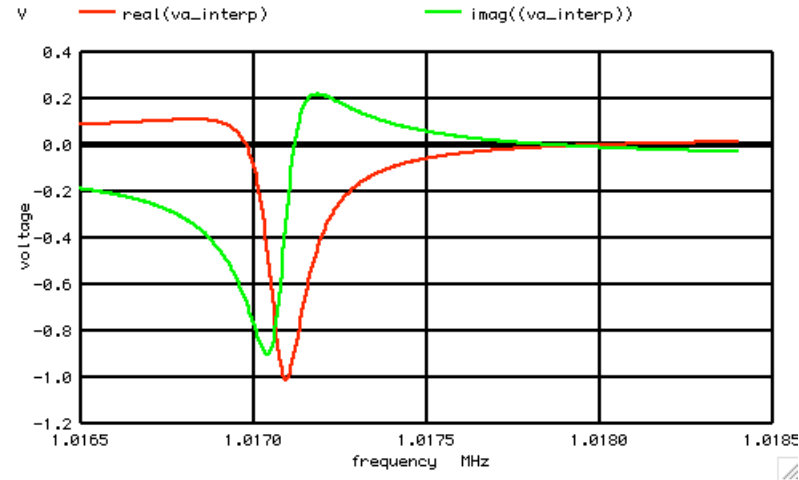


There is an **interpolate** function that needs to be handled in the complex format.

```

let      va_interp =      interpolate(real(va)) +      j(interpolate(imag(va)))
plot     real(va_interp)  imag((va_interp))          linear

```



Many of the functions produce just a single value.

```

print    va[1] real(va[1]) imag (va[1]) j(va[1])      real(j(va[1]))
let      max_ph =      maximum(ph(va))
echo     "phase_Max =      $&max_ph"
let      min_ph =      minimum(ph(va))
echo     "phase_Min =      $&min_ph"
let      max_uw_ph =    maximum(unwrap(ph(va)))
echo     "UnWrap_phase_Max= $&max_uw_ph"
let      min_uw_ph =    minimum(unwrap(ph(va)))
echo     "UnWrap_phase_Min= $&min_uw_ph"
let      ave_uw_ph =    mean(unwrap(ph(va)))
echo     "UnWrap_phase_Ave= $&ave_uw_ph"
let      number =      length(va)
print    number

```

```

va[1]          = ( 8.80558e-02,-1.90259e-01 )
real(va[1])    = 8.80558e-02
imag (va[1])   = -1.90259e-01
j(va[1])       = ( 1.90259e-01, 8.80558e-02 )
real(j(va[1])) = 1.90259e-01
phase_Max      = 179.067
phase_Min      = -178.586
UnWrap_phase_Max = -65.1287
UnWrap_phase_Min = -224.255
UnWrap_phase_Ave = -136.067
number         = 4.87000e+02

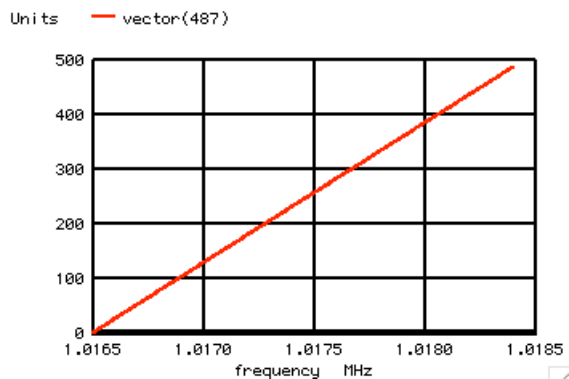
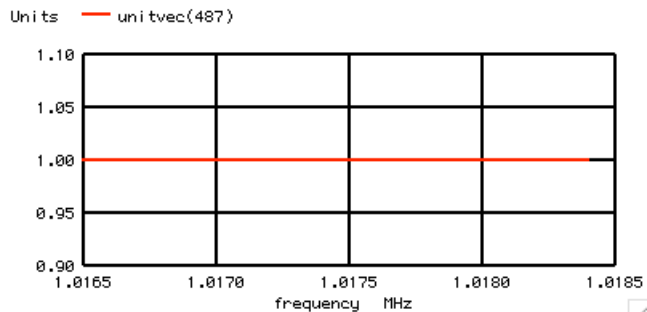
```

The **unit** and **vector** functions now and again can come in handy.

```

plot     unitvec($&number) linear
plot     vector($&number) linear

```

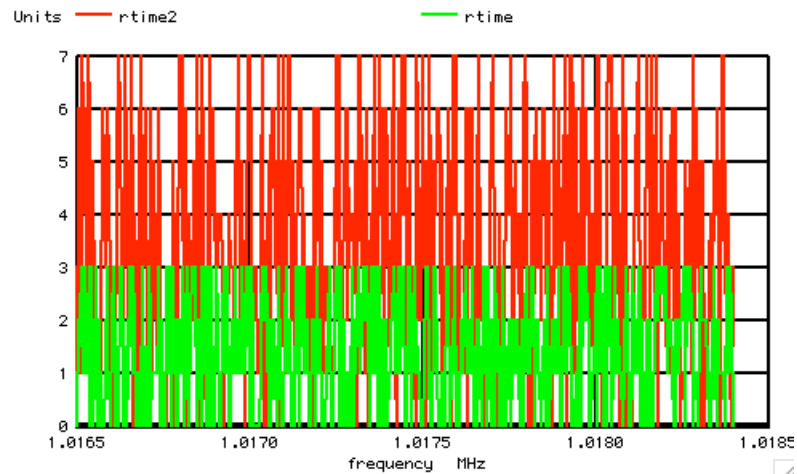


It is also possible to build **quantized** random waveforms.

```

compose rtime start = 0 stop = $&number step =1
compose rtime2 start = 0 stop = $&number step =1
let i = 0
repeat $&number
let i = i +1
let rtime[i] = rnd(4)
let rtime2[i] = rnd(8)
end
plot rtime2 rtime linear

```



=====Full\_Netlist\_For\_Copy\_Paste=====

```

Wave_Function_Examples
VIN VC 0 DC AC 1
XCRY1 VA VB XCRYST
R1 VA VC 1000k
R2 VC VB 12.7k

```

```

C1      VA      0      16.5p
C2      VB      0      18p
.control
*AC      DECLin NUMDEC FSTART      FSTOP
ac      dec      600000 1.0165meg  1.0184meg
set      pensize = 2
plot    mag(va)          mag(vb)          ylog
plot    ph(va)          unwrap(ph(va))      linear
plot    db(va)          abs(db(va))        linear
plot    log(mag(va))    ln(mag(va))      linear
plot    exp(va)         sqrt(mag(va))     linear
plot    sin(db(va))     cos(db(va))      linear
plot    asin(db(va)/50) acos(db(va)/50)  linear
plot    tan(db(va))     atan(db(va))/100 linear
plot    norm(db(va))    pos(db(va))        linear
plot    deriv(db(va))*100 db(va)          linear
plot    db(va)          integral(db(va))/1000 linear
plot    real(va)        imag((va)) j(va)          linear
let     va_interp =    interpolate(real(va)) +  j(interpolate(imag(va)))
plot    real(va_interp) imag((va_interp))      linear
print   va[1] real(va[1]) imag(va[1]) j(va[1])  real(j(va[1]))
let     max_ph =       maximum(ph(va))
echo    "phase_Max =   $&max_ph"
let     min_ph =       minimum(ph(va))
echo    "phase_Min =   $&min_ph"
let     max_uw_ph =    maximum(unwrap(ph(va)))
echo    "UnWrap_phase_Max= $&max_uw_ph"
let     min_uw_ph =    minimum(unwrap(ph(va)))
echo    "UnWrap_phase_Min= $&min_uw_ph"
let     ave_uw_ph =    mean(unwrap(ph(va)))
echo    "UnWrap_phase_Ave= $&ave_uw_ph"
let     number =      length(va)
print   number
plot    unitvec($&number) linear
plot    vector($&number) linear
compose rtime start = 0 stop = $&number      step =1
compose rtime2 start = 0 stop = $&number     step =1
let     i = 0
repeat  $&number
let     i = i +1
let     rtime[i] = rnd(4)
let     rtime2[i] = rnd(8)
end
plot    rtime2 rtime linear

.endc
*====CRYSTAL_SubCircuit=====
.SUBCKT XCRYST VA VB
RS      VA      VCS      340
CS      VCS      VLS      7f
LS      VLS      VB       3.5
CP      VA      VB       3pf
.ENDS   XCRYST
.end

```

7.12.10\_10.31AM  
dsauersanjose@aol.com  
Don Sauer  
<http://www.idea2ic.com/>